The Crystal Structure of Na₂Ti₃O₇

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(Received 20 December 1960 and in revised form 21 March 1961)

The crystal structure of $Na_2Ti_3O_7$ has been determined, using single-crystal methods. The space group is $P2_1/m$, with the unit-cell dimensions

 $a = 8.571, b = 3.804, c = 9.135 \text{ Å}, \beta = 101.57^{\circ}.$

The structure consists of layers of the composition $(Ti_3O_7)^{2-}$. These are built up from blocks of six TiO₆ octahedra sharing edges, which are joined by having octahedral corners in common. The layers are held together by sodium ions which occur in two different kinds of crystallographic site.

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Introduction

The alkali metals form a composition series of ternary oxides with titanium dioxide, $A_2O.nTiO_2$ $(1 \le n \le 6)$. We are examining selected members with the object of clarifying the relationships within the system between chemical composition and crystal structure. The dititanate $K_2Ti_2O_5$ was described recently, (Andersson and Wadsley, 1961), and the structure of the trititanate $Na_2Ti_3O_7$ is now reported.

Experimental

Na₂CO₃ and TiO₂ (anatase) in the mole ratio 1:2 were heated together at 1000 °C to remove CO₂ until constant weight was achieved. The crucible was then heated to about 1300 °C. Sodium is evidently lost on fusion, as the clear melt, on cooling, consisted of a single phase with the formula Na₂Ti₃O₇, a compound previously believed to have an incongruent melting point (Levin and McMurdie, 1959).

Tab	ole	1. (lrystal	lograpi	hic C	Constants	for	$Na_2Ti_3O_7$
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Symmetry	Monoclinic					
Unit-cell dimensions	$\begin{array}{rrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrr$					
Systematic absent reflexions Possible space groups	0k0 with $k \neq 2n$ P2 ₁ , P2 ₁ /m					
$D_o = 3.40 \pm 0.05, D_c = 3.40 \pm 0.05$	43 g.cm. ⁻³ , $Z=2$					

The colourless rod-like crystals, of monoclinic symmetry elongated along the b axis, have the crystallographic constants given in Table 1. These were determined from a Guinier powder pattern (Table 2) internally calibrated with potassium chloride as a standard.

Table 2.	Guinier powder pattern of Na ₂ Ti ₃	307
	$Cu K \alpha_1$ radiation	

vw	0.01270	101	0.01266
m	0.01908	101	0.01899
vw	0.02972	002	0.02963
vw	0.03478	$20\overline{1}$	0.03474
st	0.04941	110	0.04941
vvw	0.05055	$20\overline{2}$	0.05063
w	0.05995	111	0.05999
vw	0.06551	$10\overline{3}$	0.06559
w	0.06660	003	0.06667
vw	0.07068	012	0.07063
vw	0.07268	$11\overline{2}$	0.07271
w	0.07471	210	0.07466
w	0.07570	$21\overline{1}$	0.07574
vw	0.08139	$20\overline{3}$	0.08134
vw	0.08464	103	0.08459
vw	0.08541	112	0.08538
w	0.08639	$30\overline{2}$	0.08637
vw	0.08833	211	0.08840
vw	0.09170	$21\overline{2}$	0.09163
vvw	0.09268	301	0.09264
vvw	0.10654	$11\overline{3}$	0.10659
vvw	0.10751	013	0.10767
m	0.13897	$40\overline{2}$	0.13894
m	0.13971	104	0.13961
st	0.16399	020	0.16399

The hol and hll reflexions were recorded with copper radiation on an integrating Weissenberg goniometer using the multiple-film technique, and estimations of intensity were made visually by means of a standard scale. The scattering curves for Ti³⁺ (Freeman and Watson, 1959) adjusted to Ti⁴⁺ at low angles, for Na⁺ (Freeman, 1959) and for O²⁻ (Suzuki, 1960) were used for the structure-factor calculations.

Structure determination

A simple orthogonal sub-cell with strong similarities

Table 3. Comparison between observed and calculated structure factors

hkl	F.	F.	hkl	F	F	1	hkl	F	F.		hkl	F.	F.
001	~ 29	- 0	305	105	$\frac{10}{101}$		703	115	- C 77		112	- 0 51	- C 54
001	< 32 61	1 <u>5</u> 60	305	203	245		702	128	123		115	29 4 29	$\frac{34}{14}$
002	149	151	307	< 46	38		701	47	$\frac{120}{62}$		115	- 53 52	$\frac{14}{55}$
004	66	50	308	< 49	$\frac{3}{3}\frac{3}{1}$		700	47	48	1	116	116	141
005	< 37	$\frac{1}{22}$	309	94	90		$70\overline{1}$	98	92		117	< 56	18
006	92	93	$3,0,\overline{10}$	<43	23		$70\overline{2}$	47	33		118	< 59	ī
007	79	89	3,0,11	< 32	$\overline{13}$		$70\overline{3}$	<47	31		$11\overline{9}$	74	96
008	<49	5	409	< 34	$\overline{14}$		$70\overline{4}$	115	136		1,1,10	59	47
009	<47	6	408	104	98		705	<47	$\frac{34}{34}$		219	$<\!52$	$\underline{16}$
0,0,10	<41	$2\frac{1}{2}$	407	<47	10		706	<47	31		218	74	$\underline{71}$
0,0,11	< 31	3	406	< 46	$\frac{14}{161}$		707	< 46	46		217	83	75
1,0,11	30	37	405	104	101		708	101	$\frac{96}{12}$		216	< 56	$\frac{43}{31}$
1,0,10	110	115	404	104	80 10		7 0 10	< 29	10		215	100	$\frac{21}{100}$
109	< 44	12	403	< 40 106	$\frac{10}{111}$	İ.	1,0,10 805	< 20	19		214	130	130
107	129	136	402	117	139		804	< 34	19	ĺ	215 919	< 40	38
106	< 43	$\frac{100}{15}$	400	89	90		803	44	73		212	74	$\frac{20}{93}$
105	65	$\overline{\overline{79}}$	401	< 32	4		802	$< \hat{45}$	13		210	63	80
104	288	328	$40\overline{2}$	292	$\overline{3}\overline{1}\overline{5}$		801	< 41	$\overline{2}\overline{4}$	l	$21\overline{1}$	93	$\overline{9}\overline{6}$
103	106	111	403	< 34	7		800	69	71		$21\overline{2}$	66	78
102	< 40	$\overline{2}\overline{2}$	$40\overline{4}$	$<\!37$	_11		$80\overline{1}$	69	75		213	< 36	3
101	89	101	405	112	101		$80\overline{2}$	69	43		$21\overline{4}$	< 40	4
100	93	116	406	< 44	2	1	803	<47	3		215	76	80
$101 \\ 10\overline{2}$	43	33		<47	11	1	804	83	89		$216 \\ 21\overline{5}$	73	80
102	< 21	9	408	<49	$\frac{0}{\overline{a}\overline{a}}$		805	<47	13		217	< 56	$\frac{21}{10}$
103	107	00 99	409	< 44 < 41	20		800	< 44 ~ 11	17		218	< 59	4 <u>2</u>
104	< 35	18	4 0 11	< 31	20		808	< 37	4		$21\frac{19}{10}$	< 52	11
106	< 44	$\frac{10}{15}$	509	26	$\overline{34}$		809	< 27	13		2,1,10	< 15	11 94
$10\overline{7}$	< 46	$\frac{10}{33}$	508	96	$\overline{98}$		904	< 35	2	ĺ	318	84	78
108	<49	31	507	< 44	13		903	40	61		317	59	$\dot{\overline{6}}\dot{\overline{4}}$
$10\overline{9}$	50	$\overline{50}$	506	< 47	$\overline{2}\overline{3}$		902	$<\!42$	$\overline{2}\overline{9}$		316	< 58	27
$1,0,\overline{10}$	43	$\overline{6}\overline{4}$	505	119	$\overline{1}\overline{3}\overline{0}$		901	$<\!43$	$\overline{26}$		315	63	$\overline{6}\overline{2}$
1,0,11	< 32	40	504	66	41		900	<44	$\underline{36}$		314	108	$\overline{155}$
2,0,10	< 35	$\frac{28}{28}$	503	88	$\frac{71}{772}$		901	< 44	19_{-}		313	52	43
209	75	75	502	167	176		902	< 44	$\frac{-6}{10}$		312	< 40	1
208	114	107	501	< 40	28		903	< 44	16		311	52	48
207	83 - 11	87 19	500	< 30 75	67		904	< 43	90		310	< 34	2
200	< 44 < 38	10	507	~ 38	24		808 808	65	74		317	< 34 19	56
203	88	89	503	< 40	3		10.0.1	< 25	29		312	64	65
203	< 31	0	$50\bar{4}$	71	62		10.0.0	76	38			50	55
202	64	$\overline{5}\overline{2}$	$50\bar{5}$	< 44	32		$10, 0, \overline{1}$	35	44		$31\bar{5}$	< 48	$\frac{3}{41}$
201	$<\!23$	6	506	<46	$\overline{9}$		$10, 0, \overline{2}$	< 37	$\overline{2}\overline{9}$		$31\overline{6}$	53	$\overline{5}\overline{5}$
200	21	$\overline{2}\overline{5}$	$50\overline{7}$	< 49	$\overline{4}\overline{0}$		$10,0,\bar{3}$	106	$\overline{9}\overline{9}$		$31\overline{7}$	< 59	12
$20\overline{1}$	87	<u>63</u>	508	83	66	1	$10,0,\overline{4}$	< 35	$\overline{44}$		318	< 59	_9
202	73	$\frac{45}{22}$	509	< 41	$\frac{19}{19}$		10,0,5	< 32	$\frac{34}{34}$		$3\underline{19}$	< 56	66
$203 \\ 0.7$	93	88	5,0,10	< 38	17		10,0,6	83	86		3,1,10	< 50	14
204	32 26	31	5,0,11	- 97	103		011	<19 75			419	< 37	
205	114	$\frac{38}{141}$	607	64	59		012	70	19 04		418	70 - 56	37
200 - 207	< 46	23	606	44	$\frac{30}{49}$	1	014	60	56		416	< 59	15
$20\overline{8}$	< 49	$-\frac{3}{7}$	605	$< \tilde{47}$	$\frac{1}{1}$		015	< 47	$\frac{3}{35}$		415	67	55
$20\overline{9}$	113	$\overline{1}\overline{1}\overline{4}$	604	<47	0		016	74	82		414	< 55	13
$2,0,\overline{10}$	104	$\overline{109}$	603	<47	$\overline{18}$		017	$<\!58$	2	•	413	< 50	29
$2,0,\overline{11}$	< 34	41	602	$<\!45$	11	i	018	59	44		412	<47	8
3,0,10	< 35	14	601	< 44	16	Į	019	< 56	22		411	<44	$\overline{27}$
309	$<\!40$	8	600	85	51		0,1,10	88	112		410	34	31
308	< 47	37	601	92	94		1,1,10	<44	<u>44</u>		411	< 40	$1\overline{7}$
307	<49	$\frac{0}{20}$	602	73	66	1	119	< 55	26		$41\overline{2}$	146	$15\overline{2}$
306	< 45	33		92	77		118	< 59	2		41 <u>3</u>	< 45	16
305 304	< 40 27	27	604 807	89 88	80 69		117	< 58 ~ 59	28		414	< 48	$\frac{29}{199}$
304 309	07 70	56	600 Ā()	48	45		110	< 03 59	49		415 11	108	133
302	< 32	$\frac{30}{27}$	607	83	93		110	97	78		410	< 50	21 49
301	96	$\frac{-1}{134}$	608	114	124		113	50	33		418	83	$\frac{11}{117}$
300	46	$\overline{26}$	609	< 37	$\overline{2}\overline{3}$		112	76	92		419	< 55	$\overline{\overline{3}}\overline{\overline{4}}$
$30\overline{1}$	$<\!26$	$\overline{12}$	6,0,10	$<\!34$	11		111	96	$\overline{9}\overline{6}$		4,1, 1 0	56	31
$30\overline{2}$	197	183	706	< 40	14		110	116	$\overline{142}$		518	41	28
$30\overline{3}$	74	$\overline{58}$	705	$<\!42$	Ī		111	< 20	$\overline{16}$		517	< 53	32
$30\overline{4}$	76	61	704	$<\!46$	1	I	$11\overline{2}$	76	85	1	516	< 58	28

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hkl	F_{o}	F_{c}	hkl	F_{o}	F_{c}	1	hkl	F_o	F_{c}	L	hkl
515	59	42	613	68	57		710	< 59	16		$81\overline{5}$
514	< 58	29	612	113	120		711	82	80		$81\overline{6}$
513	< 56	$\overline{37}$	611	< 56	$\overline{19}$		$71\overline{2}$	< 58	28		817
512	153	161	610	< 55	$\overline{4}$		$71\overline{3}$	< 59	8		913
511	65	64	611	82	$\overline{9}\overline{0}$		$71\overline{4}$	69	60		912
510	56	$\overline{4}\overline{7}$	$61\overline{2}$	< 55	$\overline{3}\overline{8}$		$71\overline{5}$	< 59	$\overline{3}\overline{3}$		911
$51\overline{1}$	118	$\overline{1}\overline{3}\overline{3}$	$61\overline{3}$	< 55	21		$71\overline{6}$	< 58	4		910
$51\overline{2}$	102	$\overline{101}$	614	$<\!56$	$\overline{5}\overline{0}$		$71\overline{7}$	64	66	ļ	91 <u>1</u>
$51\overline{3}$	50	57	$61\overline{5}$	< 57	55		$71\overline{8}$	64	79		$91\overline{2}$
$51\overline{4}$	50	$\overline{5}\overline{5}$	$61\overline{6}$	< 59	17		$71\bar{9}$	< 40	$\overline{10}$	i	913
$51\overline{5}$	91	$\overline{9}\overline{2}$	$61\overline{7}$	$<\!58$	$\overline{27}$		815	$<\!37$	16	1	$91\overline{4}$
$51\overline{6}$	< 58	6	618	< 55	10		814	$<\!45$	_8	ļ	915
$51\overline{7}$	< 59	4	$61\overline{9}$	< 48	$\overline{41}$		813	73	81		916
$51\overline{8}$	64	$\overline{80}$	6,1,10	< 37	28		812	< 55	$\overline{37}$	1	10,1,0
$51\overline{9}$	< 53	34	716	81	84		811	$<\!58$	14		10,1,1
5,1, <u>10</u>	< 44	1	715	< 50	19		810	82	89	!	10,1, <u>2</u>
617	49	$\overline{5}\overline{4}$	714	$<\!54$	40		811	$<\!59$	$\underline{30}$		10,1,3
616	102	95	713	< 58	32		812	< 59	14		10,1,4
615	81	84	712	< 59	4 0		81 <u>3</u>	< 59	23		10,1,5
614	< 59	29	711	< 59	1		814	116	130		

to a perovskite structure type could easily be recognized. The real cell is related to this by the index matrix,

$20\frac{1}{2}/010/\overline{1}0\overline{2}$

and from this expression a simple trial-and-error procedure led readily to a structure for the compound in terms of an idealised octahedral model agreeing with the chemical formula, the unit cell size and with its spacegroup alternatives. The Patterson function P(u, w) was then used to derive the positions of the metal atoms more precisely since, in structures of this kind, they seldom occupy the exact centres of idealised octahedra.

The space groups $P2_1$ and $P2_1/m$ (Table 1) are both centro-symmetrical in projection on (010). The atomic parameters, obtained from the Patterson function, were refined by successive electron-density and difference Fourier projections on to this plane, and a final value of the reliability factor of 13.2% was reached, the non-observed terms being omitted. The parameters x and z for each atom were next combined with the constant $y = \frac{1}{4}b$ required by the space group $P2_1/m$ in a set of hll structure factors, to give a reliability of 14.9% on comparison with the observations. This was considered to be adequate proof of this space group, and no attempt was made to introduce different values for y which would be required by the possible alternative $P2_1$.

Table 4. Fractional atomic parameters

All atoms in general positions 2(c) for $P2_1/m$, $\pm x$, $\frac{1}{2}$, z

Atom	x	z	Atom	x	z
Na	0.682	0.595	0,	0.140	0.473
Na,	0.508	0.154	O_3	0.438	0.645
Ti ₁	0.0278	0.2806	O_4	0.314	0.885
Ti ₂	0.2467	0.6730	O_5	0.997	0.745
Ti_3	0.1420	0.9811	0 ₆	0.791	0.313
01	0.221	0.192	07	0.905	0.031

No isotropic temperature factor was found on comparison of the observed and calculated structure factors (Table 3), and it is possible that the effects of thermal motion are approximately cancelled by some absorption within the crystal. The atomic positions are given in Table 4 and the interatomic distances in Table 5. The final difference synthesis was used to obtain values for the accuracy of the atomic positions by methods oulined in Lipson & Cochran (1953; p. 307 et seq.); these are not included in Table 4 but are averaged for all atoms of the same kind, leading to average standard deviations for Ti–O of ± 0.025 Å,

Table 5. Interatomic distances in Na₂Ti₃O₇

	No.	Length		No.	Length	No.	Length	No.	Length
Ti,-0,	1	1·97 Å	Ti2-O3	1	1·71 Å	Ti ₃ -O ₄ 1	1·86 Å	Na ₁ -O ₂ 2	2·59 Å
Ti,-O,	1	1.83	Ti ₂ -O ₄	1	1.91	$Ti_3 - O_1 = 1$	1.93	$Na_1 - O_1 2$	2.71
Ti,-O.	1	2.11	Ti,-O,	1	1.87	$Ti_3 - O_7^{-1} I$	2.17	$Na_1 - O_3 2$	2.93
Ti-O	1	2.31	Ti _o -O ₅	1	2.34	$Ti_3 - O_5 = 1$	2.25	$Na_{1} - O_{2}^{1} 1$	2.23
Ti-Or	2	1.92	Ti ₂ -O	2	1.94	$Ti_{3}-O_{7} 2$	1.94	$Na_1 - O_5 l$	2.80
0,-0,	1	2.76	0°-0,	1	2.97	$0_{1} - 0_{7}^{1} 1$	2.82	$Na_1 - O_6 $ 1	2.91
$0_{1}^{1} - 0_{2}^{2}$	ī	2.82	0,-0,	1	2.72	$0_{1} - 0_{4} = 1$	3.09	1 0	
$\dot{O}_{n} - \dot{O}_{n}$	1	2.93	0°-0	1	2.62	$0_{5}-0_{7}^{1}$ 1	2.89	$Na_{9}-O_{1}$ 1	2.56
0,-0,	ī	3.11	0,-0,	1	2.74	$O_{5}-O_{4}$ 1	2.74	$Na_{0}^{2} - O_{1}^{1} 1$	2.68
0,-0,	2	2.74	$O_{\mathbf{a}}^{\dagger} - O_{5}^{\prime}$	2	2.74	$O_{7} - O_{7}^{1} 2$	2.64	$Na_{2}-O_{6}$ 1	2.57
0,-0,	2	2.79	O _e -O ₉	2	2.71	$0_{7}-0_{5}$ 2	2.79	Na ₂ -O ₄ 2	2.51
$0_{r} - 0_{r}$	2	2.77	$O_{a} - O_{a}$	2	2.81	$O_{7} - O_{4} 2$	2.88	Na 0, 2	2.62
$0_{5}^{-}0_{2}^{-}$	$\frac{1}{2}$	2.84	$O_6 - O_4$	2	2.65	$O_7 - O_1^* = 2$	2.85	2 3	

 F_c

 $\overline{3}$

 $\mathbf{26}$

 $\overline{89}$ 9

32

 $\overline{1}\overline{2}\overline{5}$

17

14

119

55 $\overline{37}$

30 $\overline{73}$

 $\overline{13}$

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10

 $\overline{15}$

11

127

 F_{o}

< 56

 $<\!53$

99

60

< 45

< 48

115

< 53

< 53

91

51

< 48

< 44

< 40

< 40

< 40

< 39

< 34

54



Fig. 1. The structure of Na₂Ti₃O₇ seen in projection down the *b* axis. Bonds to oxygen (large circles) from titanium (small circles) are shown, the lighter circles representing atoms at the level $y = \frac{1}{4}$, the heavier at $y = \frac{3}{4}$. The bonds from sodium (medium circles) to oxygen are drawn as dotted lines, and the unit cell is shown in outline.

 $O-O \pm 0.045$ Å and Na- $O \pm 0.030$ Å. These are in good agreement with the more extensive data on K₂Ti₂O₅ (Andersson & Wadsley, 1961) based on a least squares assessment.

Description

The crystal structure of $Na_2Ti_3O_7$ is shown diagrammatically in Fig. 1. The basic unit, seen in projection, is a block of six TiO₆ octahedra, three at one level, three at a distance b/2 Å above (and below) which are joined by having edges in common. This extends out of the plane of the paper as a zig-zag ribbon of octahedra limited to three in width. Identical blocks are joined together by having corners in common to form a two-dimensional sheet of the composition $(Ti_3O_7)^{2-}$ centred on the (100) plane.

There is considerable variation in the Ti–O distances for all of the metal atoms (Table 5) which may perhaps be interpreted as a tendency towards five coordination for titanium. This is the most noticeable for Ti₂ where five bonds to oxygen vary between 1.71 and 1.94 Å, the sixth being 2.34 Å. The five closer oxygens form a distorted trigonal bipyramidal grouping. Although there is some ambiguity about describing a distorted geometrical figure in a closely bonded structure such as this one, the bipyramid has nevertheless been firmly established for Ti⁴⁺ in K₂Ti₂O₅ (Andersson and Wadsley, 1960) and possibly can occur in other titanium compounds as well (Martin and Winter, 1960).

The layers are packed together in such a way as to form two different kinds of position for the sodium atoms. Na₁ has a rather unusual oxygen arrangement which, to a first approximation, can be described as a



Fig. 2. Clinographic projection of the ninefold coordination of Na₁ (a) and the sevenfold coordination of Na₂ (b).

cube, but with two oxygens replaced by a single one at the centre of the edge from which they are missing. Outside the faces opposite this atom are two additional oxygens which complete the irregular ninefold coordination (Fig. 2(a)). The second sodium atom, Na₂, is situated in a trigonal prism of oxygens, whilst a seventh oxygen is bonded through the centre of one of the rectangular prism faces (Fig. 2(b)), as in Na_{2-x}V₆O₁₅ (Wadsley, 1955).

If each alternate sheet of TiO₆ octahedra could be displaced upwards by a distance b/2, both of the sodium atoms could find nearly regular cubic positions for themselves. The effect of this would be to impose another space group upon the structure in which the *a* axis is doubled, the titanium and oxygen positions, in projection, remaining as they are. Several unsuccessful attempts were made to prepare this substance by the prolonged heat treatment of Na₂Ti₃O₇ at a variety of temperatures as well as by quenching, but for reasons which are not at all obvious, the sodium ions do not influence the structure in favour of the proposed dimorph which would appear to have a more reasonable structure.

As a whole, Na₂Ti₃O₇ has certain similarities to $\text{Li}_{1+x}V_3O_8$ (Wadsley, 1957), which consists of layers made up from distorted VO₆ octahedra one of which can almost certainly be regarded as a trigonal bipyramid. These layers are held together by lithium atoms occupying octahedral positions, and also, perhaps, some of the tetrahedral spaces which are also present.

Discussion

The prominent sub-cell which proved to be so useful in solving the structure, could be regarded as pseudocubic and related to perovskite, ABO_3 . In this simple structure the *B* atoms form oxygen octahedra which, by sharing all corners with similar octahedra, create cubic, or perhaps twelve-coordinated, sites for the *A* atoms.

The formation of a sub-cell by $Na_2Ti_3O_7$ is due to three structural features.

- (a) The oxygen and sodium atoms form an approximately square lattice in projection down the baxis which is similar to the projection of the perovskite lattice, except in terms of the relative positions of the atoms of different kinds.
- (b) Titanium overlies some of the positions in which oxygen alone occurs in perovskite. This is a consequence of edge sharing.

(c) The two kinds of sodium are both surrounded by 2 Na and 2 Ti roughly in a square, but in different ways.

The net effect of these three conditions is to force a superficial statistical resemblance to a simple structure upon a complex one which, in fact, is related to it scarcely, if at all. The partial disordering of the $(Ti_3O_7)^{2-}$ layers which occurs on quenching from high temperatures, will force upon it an even greater similarity to perovskite if Debye-Scherrer photographs alone are used for identification. This point of view, and the likelihood of the change of co-ordination number of the octahedrally grouped ion (Andersson & Wadsley, 1960), have some importance in crystallographic studies of the defect solid state, and will be given a more general treatment by us elsewhere.

The layer structure of $Na_2Ti_3O_7$ is reflected in its chemical properties. Weiss & Weiss (1960) recently showed that the di- and trititanates can exchange Na or K for long chain alkylammonium ions as well as for other metals, and this causes an expansion perpendicular to the sheets. Their X-ray data for a dititanate, however, indicate that the compound they actually used was a trititanate instead, the loss of sodium which we found to occur in preparation evidently being overlooked by them. The structure of K₂Ti₂O₅ does suggest that this substance might also have exchange properties. This would be difficult to observe as the compound undergoes rapid hydrolysis to form completely different phases, even on exposure to moist air (Anderson & Wadsley, 1961).

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